Applications on ARIS HPC Infrastructure: Neutron Stars and Gravitational Waves

NIKOLAOS STERGIOULAS

DEPARTMENT OF PHYSICS ARISTOTLE UNIVERSITY OF THESSALONIKI



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The First Binary Neutron Star Merger





Time from merger (seconds)

LIGO Gravitational Wave Detector



VIRGO Detector (Pisa)



VIRGO Detector (Pisa)



The First Binary Neutron Star Merger



Spacetime Evolution

90's Nakamura, Oohara, Kojima / Shibata, Nakamura / Baumgarte, Shapiro

Definitions

$$\widetilde{\gamma}_{ij} = e^{-4\phi} \gamma_{ij}$$

$$e^{4\phi} = \gamma^{1/3} \equiv \det(\gamma_{ij})^{1/3}$$

$$\widetilde{A}_{ij} = e^{-4\phi} A_{ij} \quad A_{ij} = K_{ij} - \frac{1}{3} \gamma_{ij} K,$$

$$\widetilde{\Gamma}^{i} \coloneqq \widetilde{\gamma}^{jk} \widetilde{\Gamma}^{i}_{jk} = -\widetilde{\gamma}^{ij}_{,j}$$

"1+log" lapse function

 $\partial_t \alpha = -2\alpha A$ $\partial_t A = \partial_t K$

"Gamma-driver" shift condition

$$\partial_t \beta^i = B^i$$
$$\partial_t B^i = \frac{3}{4} \alpha \partial_t \tilde{\Gamma}^i - e^{-4\phi} \beta^i$$

Time evolution

$$\frac{d}{dt}\tilde{\gamma}_{ij} = -2\alpha\tilde{A}_{ij}, \qquad \qquad \frac{d}{dt} = \partial_t - \mathcal{L}_\beta$$

$$\frac{d}{dt}\phi = -\frac{1}{6}\alpha K.$$

$$\frac{d}{dt}K = -\gamma^{ij}D_iD_j\alpha + \alpha \left[\tilde{A}_{ij}\tilde{A}^{ij} + \frac{1}{3}K^2 + \frac{1}{2}(\rho + S)\right],$$

$$\frac{d}{dt}\tilde{A}_{ij} = e^{-4\phi} [-D_i D_j \alpha + \alpha (R_{ij} - S_{ij})]^{TF}$$

$$+ \alpha (K \tilde{A}_{ij} - 2 \tilde{A}_{il} \tilde{A}_j^l),$$

$$\frac{\partial}{\partial t}\widetilde{\Gamma}^{i} = -2\widetilde{A}^{ij}\alpha_{,j} + 2\alpha \left(\widetilde{\Gamma}^{i}_{jk}\widetilde{A}^{kj} - \frac{2}{3}\widetilde{\gamma}^{ij}K_{,j} - \widetilde{\gamma}^{ij}S_{j} + 6\widetilde{A}^{ij}\phi_{,j}\right)$$

$$-\frac{\partial}{\partial x^{j}}\bigg(\beta^{l}\widetilde{\gamma}^{ij}_{,l}-2\widetilde{\gamma}^{m(j}\beta^{i)}_{,m}+\frac{2}{3}\widetilde{\gamma}^{ij}\beta^{l}_{,l}\bigg).$$

First Stable Simulation in 3D

2000:

PHYSICAL REVIEW D, VOLUME 62, 044034

Towards a stable numerical evolution of strongly gravitating systems in general relativity: The conformal treatments

 Miguel Alcubierre,¹ Bernd Brügmann,¹ Thomas Dramlitsch,¹ José A. Font,² Philippos Papadopoulos,³ Edward Seidel,^{1,4} Nikolaos Stergioulas,^{1,5} and Ryoji Takahashi¹
 ¹Max-Planck-Institut für Gravitationsphysik, Am Mühlenberg 1, D-14476 Golm, Germany
 ²Max-Planck-Institut für Astrophysik, Karl-Schwarzschild-Str. 1, D-85740 Garching, Germany
 ³School of Computer Science and Maths, University of Portsmouth, Portsmouth PO1 2EG, United Kingdom
 ⁴National Center for Supercomputing Applications, Beckman Institute, 405 N. Mathews Ave., Urbana, Illinois 61801
 ⁵Department of Physics, Aristotle University of Thessaloniki, Thessaloniki 54006, Greece (Received 20 March 2000; published 24 July 2000)



einsteintoolkit.org

Open Source code for 3D simulations in General Relativity C/C++/Fortran90 with MPI+OpenMP

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The Einstein Toolkit

einsi



Gallery

20+ years of development (started as private version)

About

The Einstein Toolkit is a community-driven software platform of core computational tools to advance and support research in relativistic astrophysics and gravitational physics.

About

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We provide a convenient method to get all of the Einstein Toolkit with just a few commands, and explain the whole process.

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Documentation

A lot of the documentation within the Einstein Toolkit is generated from comments in the source code, and more can be found on the Einstein Toolkit Wiki or other documents. We provide links to guides, tutorials and references.

Documentation

Contribute

The Einstein Toolkit would not exist without numerious contributions from its community. It is easy to learn how you can contribute as well.

Contribute

Gallery of Examples

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Einstein Toolkit Gallery

This page contains example simulations that can be run using the Einstein Toolkit, either exclusively or in combination with external codes. The parameter files and thornlists required to reproduce the simulations are provided. Some examples also include images and movies, analysis and visualisation scripts, example simulation data, and tutorials.

Binary black hole GW150914

einst



Single, stable neutron star



Poisson equation



Binary neutron star



Multi Patch Energy Equation



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einst



Single, stable neutron star



Poisson equation



Binary neutron star



Multi Patch Energy Equation



RNSID: Initial Data for Rotating Neutron Stars

(developed at AUTH)

Adaptive Mesh Refinement



Running on ARIS

2016 (pr002022) 900.000 CPU hours



2017 (pr004019) 900.000 CPU hours

| Run type | # Runs | # Steps/Run | Walltime | # CPU cores | Total core |
|--------------------|--------|-------------|----------------|-------------|----------------|
| | | | (seconds)/Step | | hours/Type Run |
| Merger | 12 | 90000 | 4.6 | 320 | 73000 |
| $\Delta x = 0.185$ | | | | | |
| (360,360,100) | | | | | |
| 6 levels | | | | | |

Visualization of HDF5 Output with VisIt



Post-Merger Gravitational Waves

The GW signal can be divided into three distinct phases: *inspiral, merger* and *post-merger ringdown*.



Several peaks stand above the aLIGO/VIRGO or ET sensitivity curves and are potentially detectable. Are these oscillations of the merger remnant?

First Radius Constraints From GW's

THE ASTROPHYSICAL JOURNAL LETTERS, 850:L34 (5pp), 2017 December 1 **Neutron-star Radius Constraints from GW170817 and Future Detections**

Andreas Bauswein¹, Oliver Just², Hans-Thomas Janka³, and Nikolaos Stergioulas⁴

¹ Heidelberger Institut für Theoretische Studien, Schloss-Wolfsbrunnenweg 35, D-69118 Heidelberg, Germany; andreas.bauswein@h-its.org

² Astrophysical Big Bang Laboratory, RIKEN, Saitama 351-0198, Japan

³ Max-Planck-Institut für Astrophysik, Karl-Schwarzschild-Str. 1, D-85748 Garching, Germany ⁴ Department of Physics, Aristotle University of Thessaloniki, GR-54124 Thessaloniki, Greece

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Constraints From Future Detections



Spiral Deformation



Bauswein & NS (2015)

linear + quasi-linear + nonlinear



Breaking the EOS Degeneracy



Summary

- Gravitational-wave asteroseismology is a viable method for constraining the equation of state of neutron stars
- Accurate 3D simulations of the expected waveforms require at least hundreds of CPU cores and hundreds of GB of memory
- The Einstein Toolkit is a highly scalable, MPI/OpenMP hybrid parallel, open source code (with AUTH participation in the development)
- The two ARIS allocations of 1.8m CPU hours have enabled us to set a strong constraint on the minimum size of neutron stars, based on the first gravitational-wave observation of a binary neutron star merger.